

# Stochastic Modeling of Hydrodynamic Particle Bridging and Permeability Impairment in Porous Media: A Pore-Scale Approach

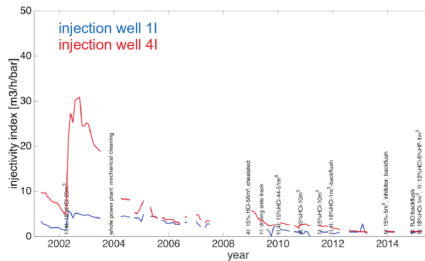
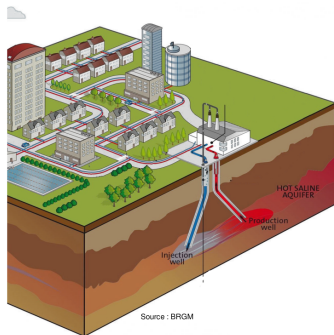
**L. Maya Fogouang**, L. André, W. Okaybi,  
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**Institute of Earth Sciences of Orléans**

InterPore 20<sup>th</sup> May 2026

# Challenges associated with fluid injectivity

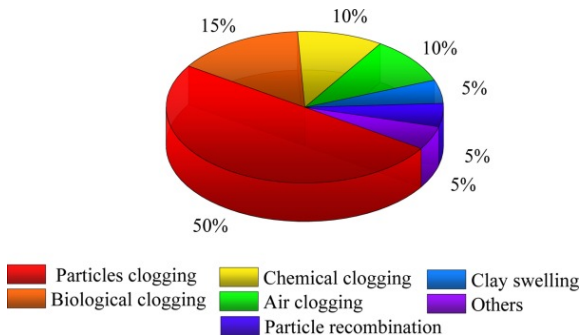
The exploitation of underground resources presents numerous challenges, particularly regarding fluid injection into the subsurface, where **clogging** often occurs near wellbores.



Brehme et al., 2017

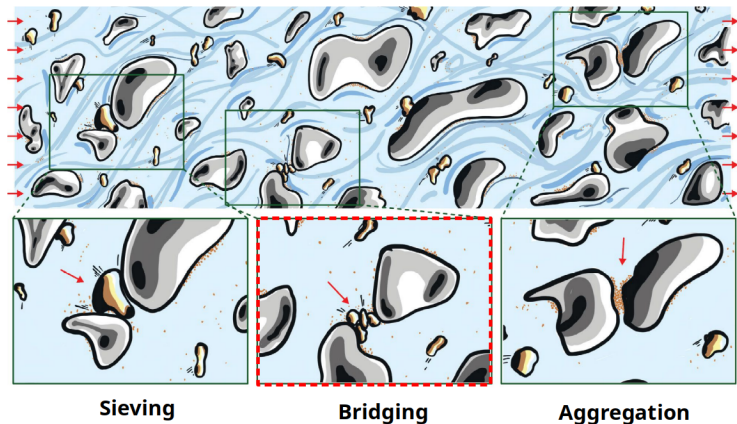
# Causes of clogging

Half of the clogging incidents result from **particle retention** in the subsurface.



Song et al., 2020

# Pore-clogging mechanisms due to particle transport



Modified from Dincau et al., 2023, Clogging: The self-sabotage of suspensions, Physics Today

# Scientific question and objectives

## **How to capture the permeability impairment due to particle bridging mechanism in porous media?**

Objectives: Predict the impact of the following key properties on the particle bridging in the pore network.

- Particle diameter
- Particle concentration
- Injection force
- Pore structure

Open challenges:

- Multi-scale physics
- Opacity of geological porous media

# Computational Fluid Dynamics - Discrete Element Method (CFD-DEM)

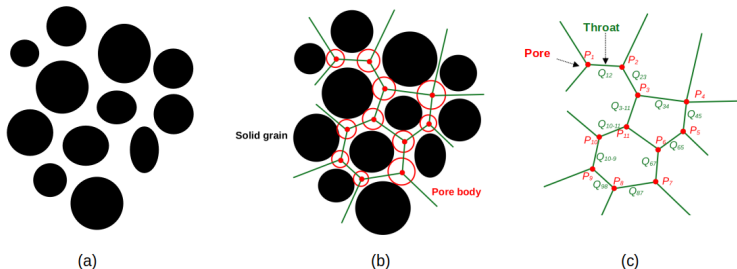
- + Direct use of real pore structure geometry.
- + Full resolution of physical interactions.
- - Computationally demanding.

Maya Fogouang et al. "Particulate Transport in Porous Media at Pore-Scale. Part 1: Unresolved-Resolved Four-Way Coupling CFD-DEM" (2025) Journal of Computational Physics.

Maya Fogouang et al. "Particulate Transport in Porous Media at Pore-Scale. Part 2: CFD-DEM and colloidal forces" (2024) Journal of Computational Physics.

# Multiscale strategy

Implement a pore-network modeling approach

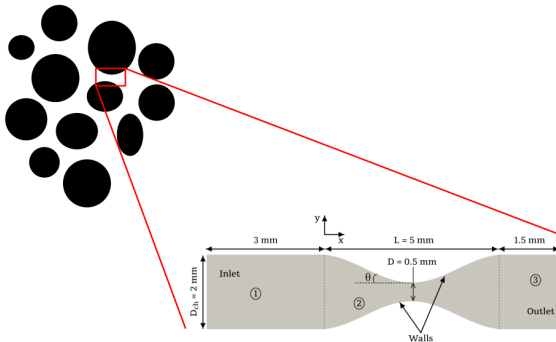


Step 1: Pore-network modelling

- + Preserve the network topology.
- + Can deal with large volume, up to the REV size.
- - Approximate the pore and throat geometry.
- - Require input law for clogging.

# Multiscale strategy

Implement a pore-network modeling approach **incorporating a probabilistic law to describe particle bridging within individual pores.**



Step 2: Clogging law in a single pore.

- Particle concentration  $\phi$ .
- Particle-to-constriction size ratio  $D/d_p$ .
- Constriction angle  $\theta$ .
- The injection force.

# Probabilistic law for particle bridging in a single pore

Clogging is characterized by the **average number of particles** that pass through the constriction before a clog forms.

$$\langle s \rangle = \frac{1 - P_{clog}(n)}{P_{clog}(n)} \text{ where } n = \left\lfloor \frac{D}{d_p} \right\rfloor + 1, \quad P_{clog} = f(D/d_p, \phi, \theta)$$

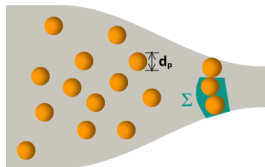
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A clog of  $n$  particles is formed under 03 conditions:

- The arch composed of  $n$  particles must fully span the constriction.
- Upon the arrival of a particle at the constriction,  $n - 1$  other particles must be located within its vicinity  $\Sigma$ .
- The resulting arch must remain mechanically stable.

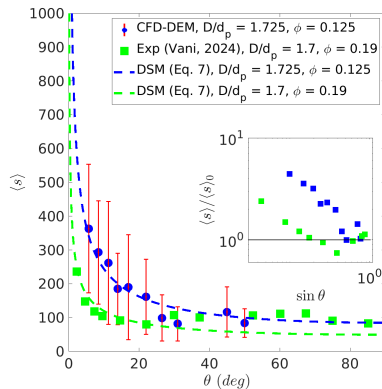
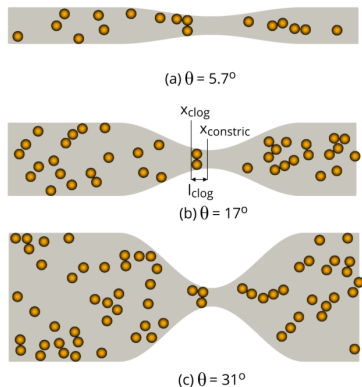


$$P_{clog}(n) = P_{arch}(n) \times P_{stable}(n)$$

More than 700 simulations were used to calibrate the stochastic law by varying  $\phi$ ,  $D/d_p$ ,  $\theta$ , and  $Re_p$ .

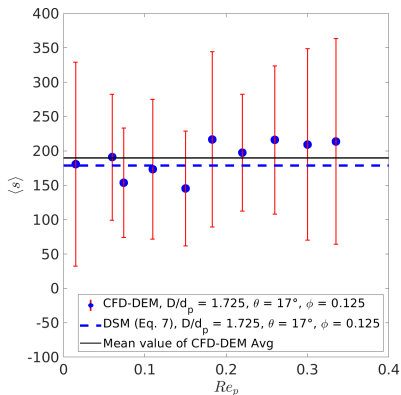
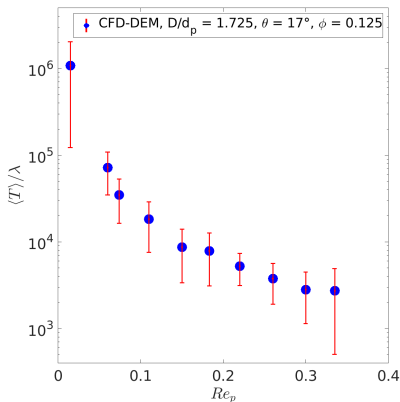
# Single pore-bridging: impact of the constriction angle $\theta$

The number of particles,  $s$ , escaping the constriction decreases as the constriction angle,  $\theta$ , increases up to a threshold beyond which it remains nearly constant.



# Single pore-bridging: impact of the injection force

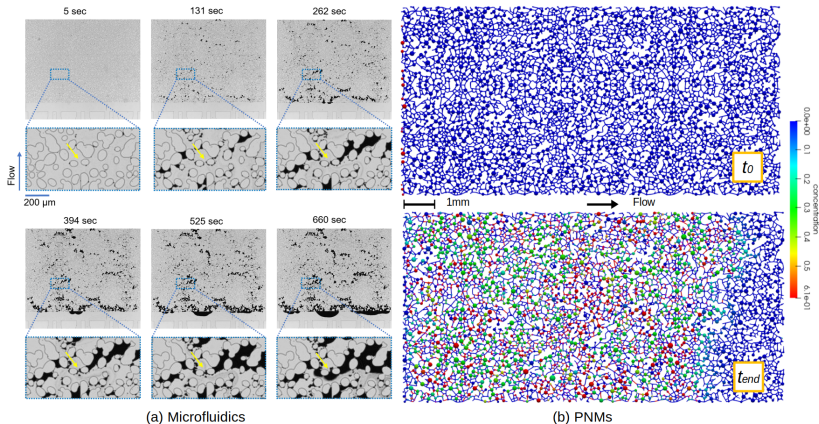
Increasing the injection force shortens the clogging time of the pore but has little effect on the number of escapes.



Maya Fogouang et al. "Numerical investigation and stochastic modeling of particle bridging under various flow, pore, and particle properties" (2025) *Advances in Water Resources*

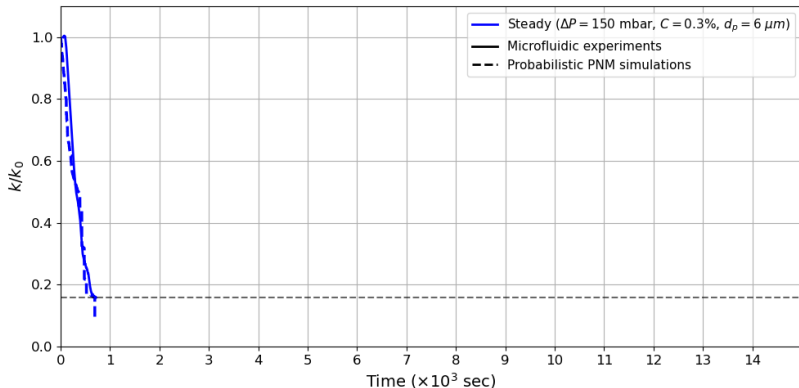
# Particle-induced permeability impairment using probabilistic pore network model versus microfluidics

Injected **0.3%** of **6 $\mu\text{m}$**  particles, density-matched with water, under  $\Delta p = 150\text{mbar}$ .



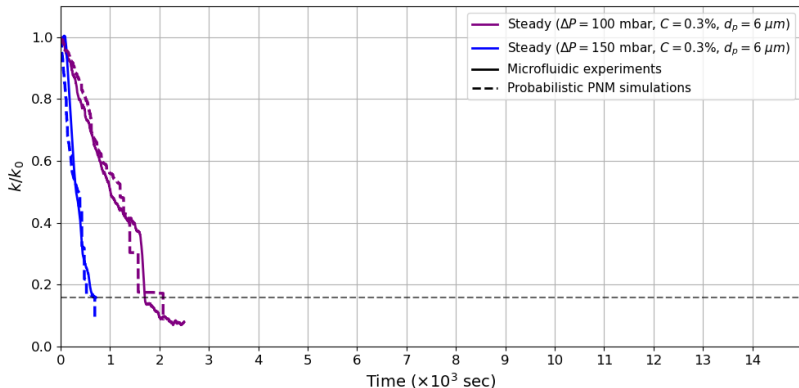
C. Soulaïne, W. Okaybi, L. Maya Fogouang, E. Le Trong, S. Roman, "Permeability impairment by hydrodynamic pore bridging: probabilistic pore-network modelling and microfluidic experiments" (2026) IJRMMS

# Particle-induced permeability impairment using probabilistic pore network model versus microfluidics



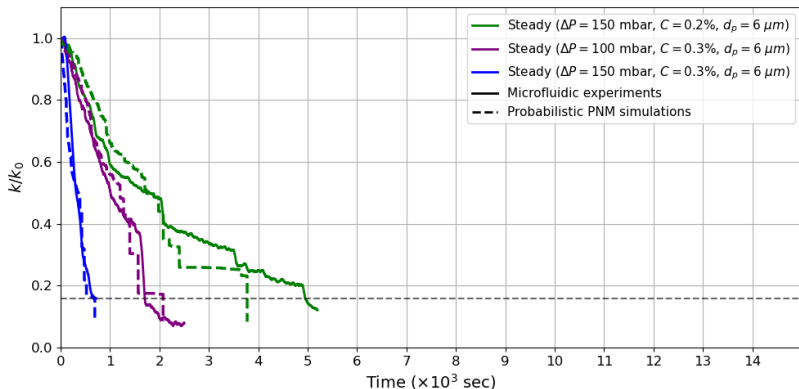
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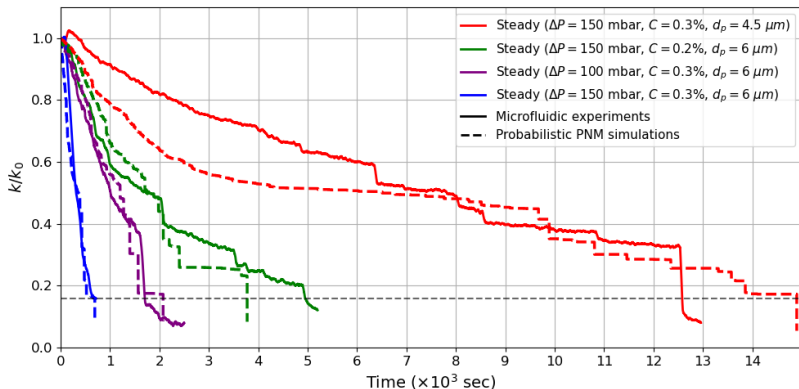
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# Conclusions and Perspectives

- Modeling the transport and bridging of fine particles is challenging due to a large parameter space (e.g., particle size and concentration, flow rate, and pore structure).
- The probability law offers an effective approach to quantify bridging by considering the number of particles,  $s$ , escaping the constriction.
- High-fidelity CFD–DEM simulations are used to calibrate the probabilistic law.
- The probabilistic pore-network model reproduces the trends observed in microfluidic experiments, demonstrating its ability to capture the bridging phenomenon in heterogeneous two-dimensional porous media.
- Apply the probabilistic pore-network modeling framework to clogging in three-dimensional porous media.

#Open to Postdoc positions!

# Acknowledgments



Geoscience for a sustainable Earth

**brgm**

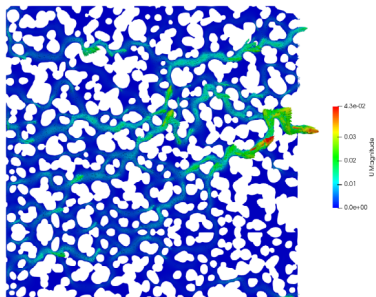
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# Thank you for your attention!

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# Backup slides

# Discrete stochastic model for bridging in a single pore

Clogging is characterized by the **average number of particles escaping the constriction**, denoted as  $s$ .

The average number of escapes:

$$\langle s \rangle = (1 - P_{clog}) / P_{clog} \quad (1)$$

The probability of clogging a pore with an  $n$ -arch particle:

$$P_{clog}(n) = P_{arch}(n) \times P_{stable}(n) \quad \text{with} \quad n = \lfloor D/d_p \rfloor + 1 \quad (2)$$

The probability of forming an  $n$ -arch particle:

$$P_{stable}(n) = k(\sin \theta)^\alpha \exp \left[ \left( \frac{\phi}{\phi_m} \right)^{n^3} \right] \left( \frac{d_p}{D} \right)^n \quad (3)$$

More than 700 simulations were performed by varying  $\phi$ ,  $D/d_p$ ,  $\theta$  and  $Re_p$  resulting in  $k = \mathbf{0.3}$  and  $\alpha = \mathbf{0.6}$

# Stochastic pore-network model

The volumetric flow rate,  $Q_{ij}$ , through the throat connecting pore  $i$  to pore  $j$ ,

$$Q_{ij} = \frac{\alpha_{ij} (D_{ij}, h)}{\mu L_{ij}} (P_i - P_j), \quad (4)$$

The geometric hydraulic conductance factor

$$\alpha_{ij} = \frac{a^3 b}{12}, \quad a = \min(D_{ij}, h), \quad b = \max(D_{ij}, h) \quad \text{and} \quad \alpha_{ij} = D_{ij} h \frac{d_p^2 (1 - C_{jam})^3}{180 C_{jam}^2} \quad \text{if clogged}$$

The suspension viscosity is defined by (Zarraga et al., 2000),

$$\mu(C) = \mu_f \frac{\exp(-2.34C)}{(1 - C/C_m)^3} \quad (5)$$

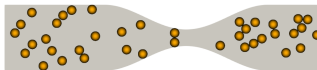
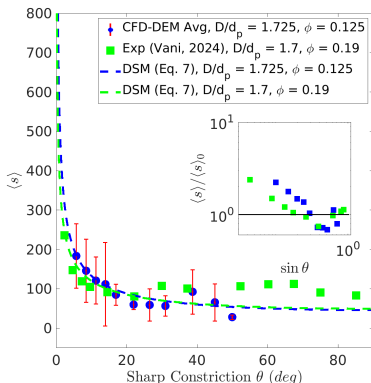
The Taylor-Aris dispersion in the throat  $ij$  reads,

$$\mathcal{D}_{ij} = \mathcal{D}_m + \frac{\min(h, D_{ij})^2}{4\mathcal{D}_m} U_{ij}^2 \left( \frac{2}{105} - \sum_{n=1}^{\infty} \frac{18}{(n\pi)^6} \exp\left(-4 \left(\frac{n\pi}{\min(h, D_{ij})}\right)^2 \mathcal{D}_m t\right) \right) \quad (6)$$

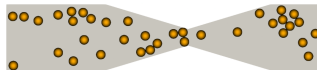
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# Pore-bridging: impact of the constriction shape

Sharp constriction promotes more stable and frequent clogs than a round one.



(a) Round constriction

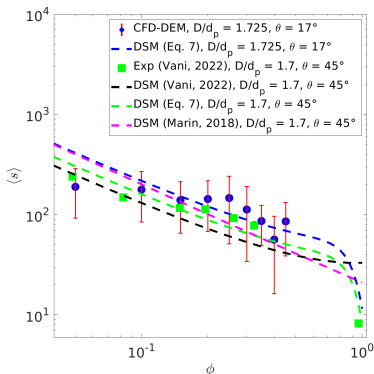


(b) Sharp constriction

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# Pore-bridging: impact of the particle concentration $\phi$

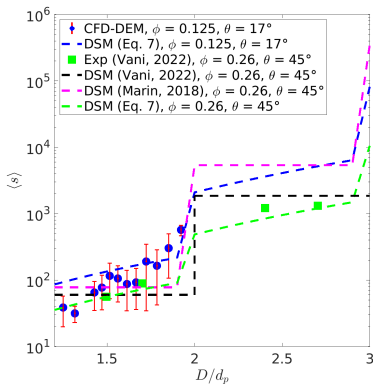
The number of escapees decreases with increasing particle concentration, with the decline becoming more pronounced in the dense suspension regime.



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# Pore-bridging: impact of the particle-to-constriction size ratio $D/d_p$

The number of escapes,  $s$ , increases with the particle-to-constriction size ratio, following a stepwise trend with oblique transitions between successive steps.



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