InterPore2018 New Orleans



Contribution ID: 9 Type: Oral 20 Minutes

A Dynamic Symplectic Manifold Analysis for Wave Propagation in Porous Media

Thursday, 17 May 2018 14:56 (15 minutes)

This study aims to understand with more amplitude and clarity the behavior of a porous medium where a pressure wave travels, translated into relative displacements inside the material, using mathematical tools derived from topology and symplectic geometry. The paper starts with a given partial differential equation based on the continuity and conservation theorems to describe the travelling wave through the porous body. A solution for this equation is proposed after all boundary and initial conditions are fixed and it's accepted that the solution lies in a manifold **U** of purely spatial dimensions and that is embedded in the n-dimensional Real manifold, with spatial and kinectic dimensions. It's shown that the **U** manifold of lower dimensions than **IRna**, where it is embedded, inherits properties of the vector spaces existing inside the topology it lies on. Then, a second manifold (**U***), embedded in another space called **IRnb** of stress dimensions, is proposed and there's a non degenerative function that maps it into the **U** manifold. This relation is proved as a transformation in between two corresponding admissible solutions of the differential equation in distinct dimensions and properties, leading to a more visual and intuitive understanding of the whole dynamic process of a stress wave through a porous medium and also highlighting the dimensional invariance of Terzaghi's theory for any coordinate system.

References

Acceptance of Terms and Conditions

Click here to agree

Primary authors: Mr MARTINS GUERRA, Karl Igor (Pontifical Catholic University of Rio de Janeiro); Prof.

ANDRADE PEIXOTO SILVA, Luciana (University of the State of Rio de Janeiro)

Presenter: Mr MARTINS GUERRA, Karl Igor (Pontifical Catholic University of Rio de Janeiro)

Session Classification: Parallel 11-G

Track Classification: GS 1: Fundamental theories of porous media